

Lab on Geographic Information Science for stainable development and smart cities



INSTITUT NATIONAL DE L'INFORMATION GÉOGRAPHIQUE ET FORESTIÈRE

## **Camera pose estimation**

### **Our problem:**

- . Camera pose initialisation:
  - Relative  $\{r_{ij}, \mathbf{c_{ij}}\}$  $\rightarrow$  in parallel & fast
  - Global  $R_i$ , then  $C_i$  $\rightarrow$  fast but not precise



2. Refinement: bundle adjustment (BA)  $\rightarrow$  rigorous & precise but slow

![](_page_0_Figure_11.jpeg)

### Key ideas:

- Local BAs over relative motions provide hessians
- Hessians encode **features' random errors** & **correlations** between camera poses and 3D points
- X Existing methods **discard** those information rich matrices

### **Pointless BA:**

- **t** Leverage hessians in global BA while excluding features  $\star$  **Propagate** the locally defined hessians to the global frame &
- adjust  $\rightarrow$  rigorous & precise & fast & low cost

# Datasets

imes 1 photogrammetric d., imes 2 computer vision benchmark, imes 1 long focal d.

![](_page_0_Picture_21.jpeg)

# **Pointless Global Bundle Adjustment with Relative Motions Hessians**

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Method Initial global motions 1. Compute local motions & retrieve local Hessians w.r.t. camera parameters  $c_1$   $c_2$  $\{\lambda, \alpha, \beta\}_s$ otio 2. Extract the camera reduced matrix h from H using Schur complement  $\{R, \mathbf{C}\}^0$ 3. Find initial global poses 4. Refine global poses  $\{\lambda, \alpha, \beta\}_s$  $\{r_k, \mathbf{C}_k, h\}_s$ **Pointless BA**  $\mathsf{E}^{s}_{BA}$ • • • Global bundle Local bundle adjustments adjustment Local Hessians **Global Bundle Adjustment** Rigorous: encode stochastics of relative motions Fast: disengages feature points from the adjustment 20 C A

- Compact: information stored in  $6N \times 6N$  matrices
- Low cost: by-product of local BA (parallel comp.)

![](_page_0_Figure_27.jpeg)

LaSTIG, UGE, IGN-ENSG erupnik.github.io/pointlessGBA.html

$$E_{BA} = \sum \sum \rho \cdot \mathbf{r}^2 = \rho \left( \delta x^T \, \overbrace{(J^T J)}^{\mathsf{H}} \delta x + r_0^T J \delta x + r_0^2 \right)$$

$$x_s = \{c, rot\} = \{\lambda_s \alpha_s C + \beta_s, \alpha_s R\}$$

**veraging** 
$$\mathsf{E}_{BA}^{g} = \sum_{s}^{S} \sum_{i}^{3} \rho || \{c_{si}, rot_{si}\} - \{\lambda_{s} \alpha_{s} C + \beta_{s}, \alpha_{s} R\} ||^{2}$$

$$= \delta x^T h \delta x + \cdots \Rightarrow E^g_{BA} = \sum_{s=0}^S E^s_{BA}$$
$$\{\lambda \alpha C + \beta, \alpha R\} - \{c_0, rot_0\}$$

- Precise: propagates the quality of local BA to the global frame
- Flexible: can be easily integrated within any SfM pipeline

# **Experiments & Results**

![](_page_0_Picture_40.jpeg)

![](_page_0_Picture_41.jpeg)

Initial 3D structure

![](_page_0_Picture_43.jpeg)

Averaging

5-Points BA

Pointless BA

![](_page_0_Figure_48.jpeg)

![](_page_0_Figure_49.jpeg)

![](_page_0_Figure_50.jpeg)